

Math 304

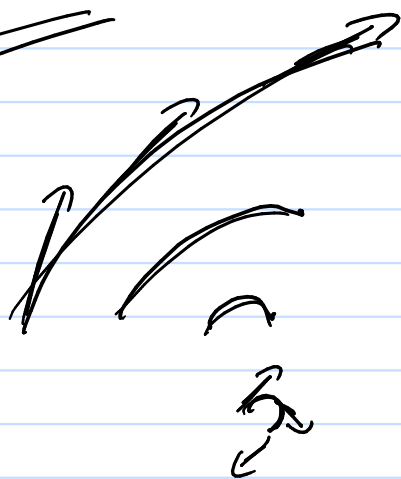
HW to 13.3? → What to do? (you)

try the probs

For me -- my mistake -- in my gradebook

HW to 13.3 → 100%

Metric → a number that has meaning for a problem.



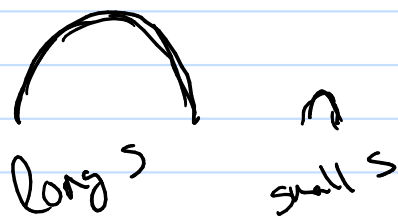
curvature, κ



$$\kappa \propto |d\pi|$$

$$\kappa \propto \frac{1}{|ds|}$$

$$\kappa = \left| \frac{d\pi}{ds} \right|$$



$$\text{or } \kappa = \left| \frac{d\pi}{ds} \right| = \left| \frac{\frac{d\pi}{dt}}{\frac{ds}{dt}} \right| = \frac{|\pi'|}{|r'|}$$

A diagram showing a curve with a tangent vector and a normal vector, illustrating the relationship between curvature and the derivative of the tangent vector.

Exam 1

12 probs @ 10 pts each
120 pts = 100%

Wed morning (12:01 am) "open" blackboard

Wed night (11:59 pm) "close"

→ get a pdf

→ print, do a paper (2 hrs to finish
and upload a scan)

Scan?

Microsoft lens

Ch 13

13.1 3 probs $r(t)$ 2D, 3D, 4D

(1) evaluation (intersections?)

(2) limits (a couple of parts)

(a) 2a) $\lim_{t \rightarrow 3} \langle e^3 + 1, \cos(t), \frac{t^3 - 9}{t - 3}, \sqrt{t} \rangle$

2b)

(3) graph (or description) $\langle \sin(t), \cos(t), \frac{1}{t} \rangle$
 $t \in (0, \infty)$

13.2 3 probs

① $\frac{d}{dt} r(t) \propto \frac{d^2}{dt^2} r(t)$

$$\frac{d}{dt} \langle x(t), y(t) \rangle = \langle x', y' \rangle$$

② anti-deriv

$$\int r(t) dt = \left\langle \int x(t) dt, \int y(t) dt, \dots \right\rangle$$

③ Def Ints

$$\int_a^b r(t) dt$$

13.3 4 probs

① find arc length.

② $r(t) \rightarrow s(t) \rightarrow t = t(s) \rightarrow r(s)$

③ find κ

④ find T, N, B

13.4

2 probs

(1) $x(t) \rightarrow v(t) \rightarrow a(t)$
pos vel accel

sketch
of plots

(2) word problem for < Projectile.

$a(t) \rightarrow v(t) \rightarrow x(t)$

$r(t) \rightarrow s(t) \rightarrow etc$

(ex) $r(t)$ $\langle t, t^3, \frac{1}{t} \rangle$ $s(t)$ from 1 to t

$s(t) =$ $\int_1^t |r'| du = \int_1^t \sqrt{(1)^2 + (3u^2)^2 + (\frac{-1}{u^2})^2} du$

$s(t) = 3t^2 + 1$

$(\frac{1}{3}(s-1))^{1/2} = t$

$r(s) =$ $\langle (\frac{1}{3}(s-1))^{1/2}, (\frac{1}{3}(s-1))^{3/2}, (\frac{1}{3}(s-1))^{-1/2} \rangle$